

## FARADAY LAW

DR. CROWELL HAS POINTED OUT THAT THE R.H.S. SHOULD BE WRITTEN AS:

$$-ig \left( c \epsilon_{(1)(2)(3)}^{(2)} \underline{B}^{(2)} A_0^{(3)} - c \epsilon_{(1)(2)(3)}^{(2)} A_0^{(2)} \underline{B}^{(3)} + \underline{A}^{(2)} \times \underline{E}^{(3)} - \underline{A}^{(3)} \times \underline{E}^{(2)} \right)$$

et cyclicum

where:  $\epsilon_{(1)(2)(3)} = 1.$

SO IN ORDER TO RECOVER THE  $\underline{B}$  CYCLIC THEOREM WE ASSUME THE RADIATION GAUGE FOR THE TRANSVERSE  $\underline{A}^{(1)}$  AND  $\underline{A}^{(2)}$ ; GIVING THE TRANSVERSE  $\underline{B}^{(1)}$  AND  $\underline{B}^{(2)}$  THROUGH:

$$\begin{aligned} \underline{B}^{(1)} &= \underline{\nabla} \times \underline{A}^{(1)} \\ \underline{B}^{(2)} &= \underline{\nabla} \times \underline{A}^{(2)} \end{aligned}$$

IN GENERAL, AS POINTED OUT BY DR. CROWELL, ANY GAUGE CAN BE USED IN THE THEORY.

# MOST GENERAL FORM OF CYCLICS

$$c \epsilon_{(1)(2)(3)} (\underline{B}^{(2)} \underline{A}^{(3)} - \underline{A}^{(2)} \underline{B}^{(3)}) + \underline{A}^{(2)} \times \underline{E}^{(3)} + \underline{E}^{(2)} \times \underline{A}^{(3)} := 0$$

et cyclicum

— (1)

$$\Rightarrow \underline{\nabla} \times \underline{E}^{(i)} + \frac{\partial \underline{B}^{(i)}}{\partial t} := 0$$

$i = 1, 2, 3$

— (2)

IDENTITIES

$$\frac{1}{c^2} \underline{\nabla} \cdot \underline{E}^{(1)*} = \frac{ig}{c} \left( \epsilon_{(1)(2)(3)} (\underline{A}^{(2)} \underline{E}^{(3)} - \underline{E}^{(2)} \underline{A}^{(3)}) + c (\underline{A}^{(2)} \times \underline{B}^{(3)} + \underline{B}^{(2)} \times \underline{A}^{(3)}) \right)$$

et cyclicum

— (3)

$$\Rightarrow \underline{\nabla} \times \underline{B}^{(i)} = \frac{1}{c^2} \frac{\partial \underline{E}^{(i)}}{\partial t}$$

$i = 1, 2, 3$

— (4)

EQUATIONS

TRUE FOR ALL GAUGES

MAKES NO ASSUMPTIONS

ABOUT FIELDS

WITH THE CYCLIC CONDITIONS ONE  
CAN ALWAYS REDUCE THE  $o(3)$   
EQUATIONS TO THREE MAXWELL EQNS.