

356(8): Some Spacetime or Aether Properties Induced by an Electromagnetic Potential

From Note 356(7) the fundamental equation is:

$$\underline{V}_F = \left(\frac{\rho}{\rho_m} \right) (\text{material}) \underline{W} (\text{material}) - (1)$$

where \underline{V}_F is the velocity field of spacetime regarded as a fluid. The ratio $(\rho / \rho_m) (\text{material})$ is the ratio of change to mass density of the material, and \underline{W} is the ECE2 vector potential of the material. Therefore \underline{V}_F is induced in spacetime by the \underline{W} of the material.

From \underline{V}_F , several induced properties of spacetime or aether fluid dynamics can be calculated.

1) The Aether Acceleration

$$\underline{a}_F = \frac{\partial \underline{V}_F}{\partial t} + (\underline{V}_F \cdot \nabla) \underline{V}_F - (2)$$

where:

$$(\underline{V}_F \cdot \nabla) \underline{V}_F = \frac{1}{2} \nabla V_F^2 - \underline{V}_F \times (\nabla \times \underline{V}_F) - (3)$$

2) The Kombe Charge of the Aether

This is:

$$q_F = \nabla \cdot ((\underline{V}_F \cdot \nabla) \underline{V}_F) - (4)$$

where the term in brackets is given from eq. (3).

3) The Kombe Current of the Aether

$$\underline{J}_F = a^2 \nabla \times (\nabla \times \underline{V}_F) - \frac{\partial}{\partial t} ((\underline{V}_F \cdot \nabla) \underline{V}_F) - (5)$$

2) where a_0 is the assumed constant speed of sound.

4) The Derivative of the Aether Scalar Potential Φ_F
This is calculated from the Lorentz condition:

$$\frac{\partial \Phi_F}{\partial t} + a_0^2 \nabla \cdot \underline{V}_F = 0 \quad (6)$$

5) The Kambe Magnetic field or Vorticity \underline{W}_F
This is calculated from:

$$\underline{B}_F = \underline{W}_F = \nabla \times \underline{V}_F \quad (7)$$

This is the vorticity induced in the aether by the material's vector potential \underline{W} (material).

6) The Kambe Electric Field

This is:

$$\begin{aligned} \underline{E}_F &= (\underline{V}_F \cdot \nabla) \underline{V}_F \quad (8) \\ &= \frac{1}{2} \nabla V_F^2 - \underline{V}_F \times (\nabla \times \underline{V}_F) \\ &= -\nabla \Phi_F - \frac{\partial \underline{V}_F}{\partial t} \end{aligned}$$

so $\nabla \Phi_F$ can be calculated. As in UFT355
this is defined by:

$$\Phi_F = h + \phi - (\mu + \mu') \nabla \cdot \underline{V}_F - \phi_1 \quad (9)$$

where

$$\nabla \phi_1 = \mu \nabla^2 \underline{V}_F \quad (10)$$

3) Wave Properties

These are defined by :

$$\square \underline{\Phi}_F = \underline{v}_F \quad - (11)$$

and

$$\square \underline{v}_F = \frac{1}{a_0} \underline{J}_F \quad - (12)$$

where

$$\square = \frac{1}{a_0} \frac{\partial^2}{\partial t^2} - \nabla^2 \quad - (13)$$

8) Induced Electric Field Gradient

$$\frac{\nabla \rho_F}{\rho_F} = \frac{1}{\rho_F} \nabla \rho_F = - \frac{\partial \underline{v}_F}{\partial t} - (\underline{v}_F \cdot \nabla) \underline{v}_F \quad - (14)$$

9) Induced baroclinic Torque $-\frac{\nabla \rho_F}{\rho_F} \times \underline{v}_F$

this is defined by the vorticity equation of the matter :

$$\frac{\partial \underline{w}_F}{\partial t} + \underline{v} \times (\underline{w}_F \times \underline{v}_F) \quad - (15)$$

$$= \frac{1}{\rho_F} \nabla \rho_F \times \underline{v}_F + \frac{1}{R_F} \nabla^2 \underline{w}_F$$

where R_F is the Reynolds number of the matter

10) Induced Reynolds Number

If it is assumed that the baroclinic torque is zero, the induced Reynolds number

4) is defined by :

$$\frac{\partial \underline{W}_F}{\partial t} + \underline{\nabla} \times (\underline{W}_F \times \underline{V}_F) = \frac{1}{R_F} \nabla^2 \underline{W}_F - (16)$$

The Reynolds number is induced in the aether by the material vector potential \underline{W} (material)

All these quantities can be computed for any vector potential of any material. The aether then has an effect on material, notably electric and magnetic fields induced by spacetime.
